Feedback and Sensitivity in Climate

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11th June 2009

Outline

1. Motivation
   - The Basic Problem That We Studied
   - Previous Work
2. Our Results/Contribution
   - Main Results
   - Basic Ideas for Proofs/Implementation

Outline

Make Titles Informative. Use Uppercase Letters.

Subtitles are optional.

- Use `itemize` a lot.
- Use very short sentences or short phrases.

Make Titles Informative.

You can create overlays…

- using the `pause` command:
  - $$\begin{cases} \partial_t \boldsymbol{\sigma_0}(t) = M^\flat \boldsymbol{\sigma_0}(t,0) + |b> \Upsilon(t) \\ g(t) = <c| \, \boldsymbol{\sigma_0}(t,0) \, , \end{cases} \tag{1}$$
  - $$\Delta\theta(t) = <c(t)| \, \Phi(t,0)' \eta_0^r + <c| \, (t) \int_0^t \Phi(t,\tau)|b> (\tau)\Delta\theta_0(\tau) d\tau \tag{2}$$
- using overlay specifications:
  - First item.
  - Second item.
- with the definition of the propagator as:

$$\partial_t \Phi(t,\tau) = M(t)\Phi(t,\tau) \, ; \quad \Phi(\tau,\tau) = I \, , \tag{3}$$

with the identity matrix I.

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  - $$\begin{aligned} \Delta\theta(t) = &<c(t)|\ \Phi(t,0)' \boldsymbol{\eta}_0^r \\ &+ <c|\ (t) \int_0^t \Phi(t,\tau)|b> (\tau)\Delta\theta_0(\tau)d\tau \end{aligned} \tag{2}$$
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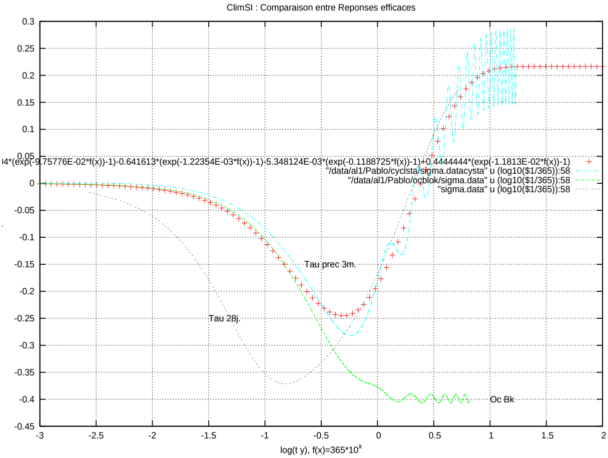

Figure: ClimSI WV feedback model responses.

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Summary

- The first main message of your talk in one or two lines.
- The second main message of your talk in one or two lines.
- Perhaps a third message, but not more than that.

- Outlook
  - Something you haven't solved.
  - Something else you haven't solved.

For Further Reading I

A. Author.
Handbook of Everything.
Some Press, 1990.

S. Someone.
On this and that.
Journal of This and That, 2(1):50–100, 2000.